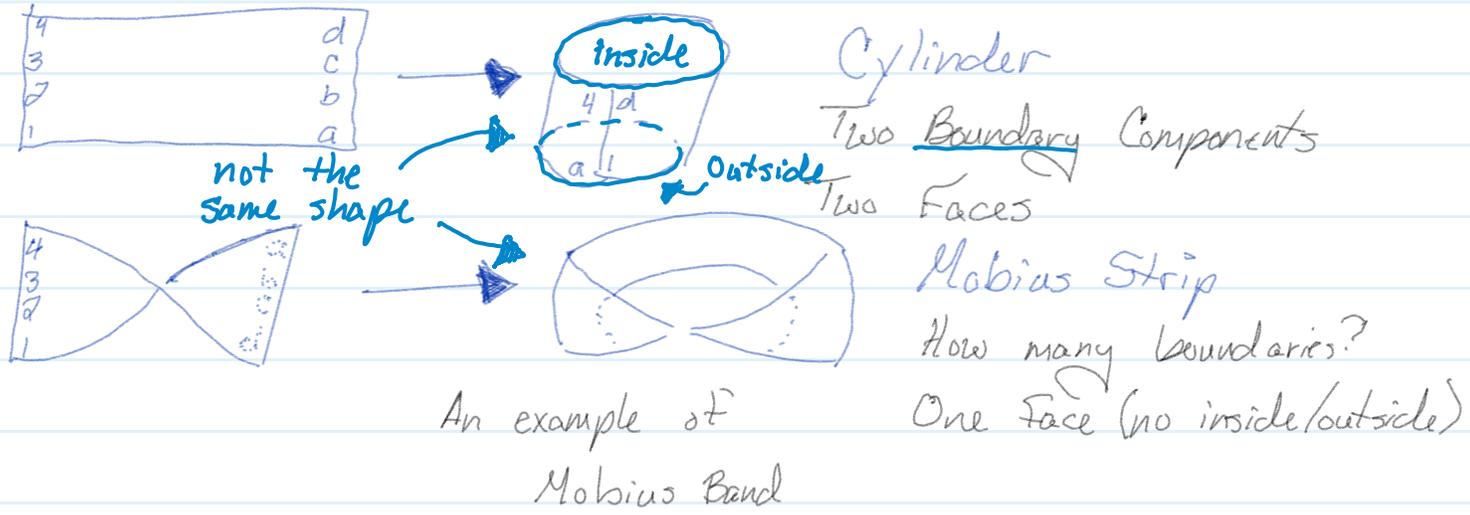


General Topology

8/22

The Mobius Band/Strip



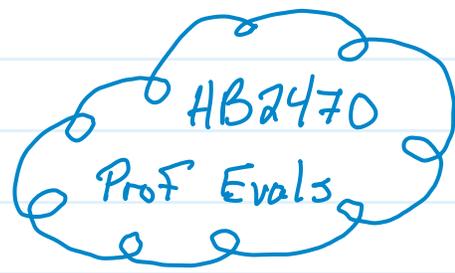
Q: What does it mean for shapes to be equivalent?

For class:

- Read notes before lectures
- Weekly writing Assignments
- Weekly homeworks
 - ↳ site sources
 - ↳ list collaborators
- Weekly quizzes
- Weekly extra credit

This Week:

- Complete the survey
- Meet w/ Hiro



Sets:

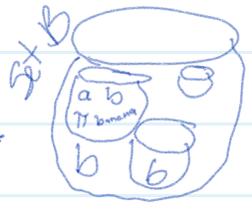
Defn (in formal) A set is a collection of things.

Notation: We write, e.g. $A = \{a, b, \text{banana}, \pi\} = \{\text{banana}, \pi, a, b\}$ to mean A is a set w/ elements a, b, banana, π .

Notation: We write \emptyset for the empty set

Ex $\emptyset = \{ \}$

Ex $B = \{b, A, \{b\}, \emptyset\}$



Ex # of elements

	0	1	2	3	...
	\emptyset	$\{\emptyset\}$	$\{\emptyset, \{\emptyset\}\}$	$\{\emptyset, \{\emptyset\}, \{\emptyset, \{\emptyset\}\}\}$...

Defn: Fix two sets A & B . We say A is a subset of B if

$\forall a \in A, a \in B$

"For all" / "For every" (under \forall)

"is an element of" (under $a \in B$)

Defn: Fix a set A . The power set of A is the set of all subsets of A . We let $P(A)$ denote the power set of A .